









Figure 2, Use Case Diagram, outlines interactions between the actor and system components, covering processes like designing, training, and optimising the SVM algorithm. The Activity Diagram, Figure 3 illustrates the research workflow from data collection to model deployment. The Class Diagram, Figure 4, shows key components like the researcher, dataset, SVM model, optimiser, and evaluation

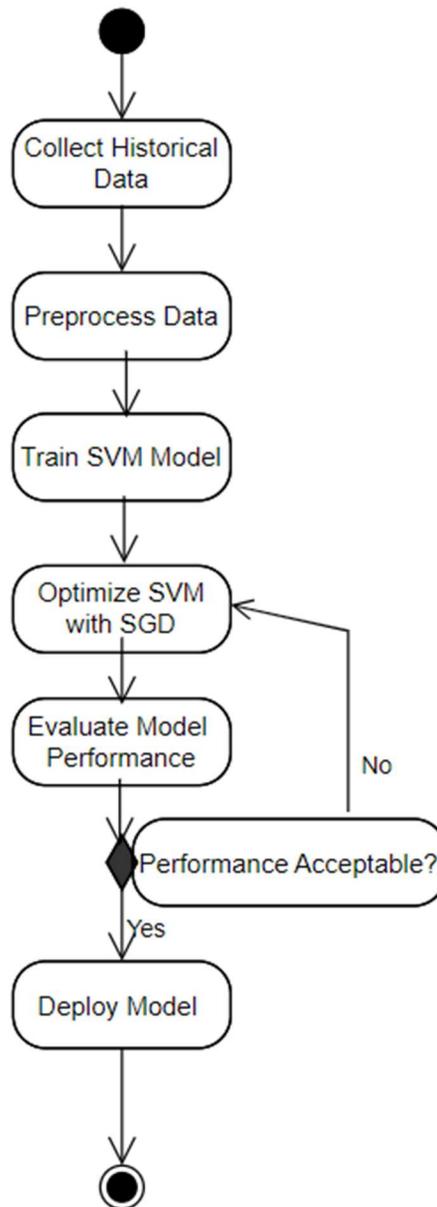


Figure 3: Activity diagram of the model







### Algorithm 1: Algorithm of SVM-SGD

```
function SGD_SVM (X_train, y_train, C, alpha, num_iterations):
  # Initialize weights and bias
  theta = initialise zeros of size m (features)
  bias = 0
  n, m = dimensions of X_train
  # SGD optimisation loop
  for iteration in range(num_iterations):
    shuffle (X_train, y_train) # Shuffle data for stochasticity
    for i in range(n):
      # Calculate margin for SVM
      margin = y_train[i] * (dot_product(theta, X_train[i]) + bias)
      if margin < 1: # Hinge loss condition
        # Update weights and bias using gradient descent
        theta -= alpha * (-y_train[i] * X_train[i] + 2 * (1 / (C * n)) * theta)
        bias -= alpha * (-y_train[i]) # Bias update when margin is violated
      else:
        # Update only regularisation term
        theta -= alpha * (2 * (1 / (C * n)) * theta)
    return theta, bias # Optimized weights and bias
function predict(X_test, theta, bias):
  return [sign(dot_product(theta, x) + bias) for x in X_test] # Predict labels
```

#### 3.4 Key Points of SVM-SGD:

**Margin check:** If  $\text{margin} < 1$ , the SVM experiences a violation (hinge loss), and the weights  $\theta$  and bias  $b$  are updated using gradient descent.

**Regularisation:** The term  $2 * (1 / (C * n)) * \theta$  ensures regularisation, controlling overfitting by penalising large weights.

**Stochastic updates:** The SGD optimises the SVM by updating the weights incrementally for each training example, leading to fast convergence.

This algorithm captures where the SVM is optimised whenever the margin violates the hinge loss condition (i.e. when  $\text{margin} < 1$ ).



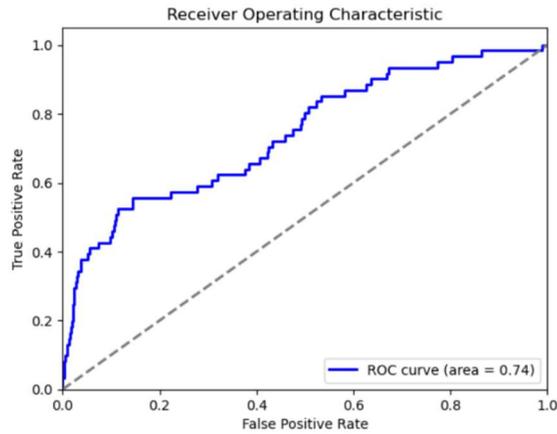


Figure 5: The AUC-ROC Graph for the SVM Model

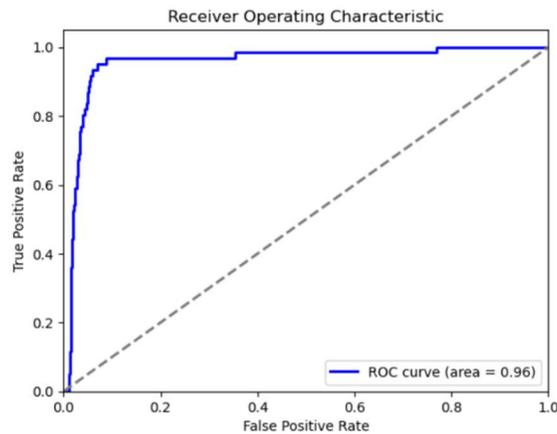


Figure 6: The AUC-ROC Graph for the Optimised SVM Model

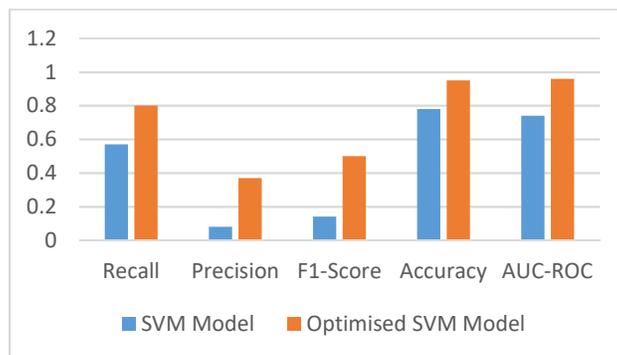


Figure 7: Bar-chart comparison of the SVM and Optimised SVM models performances



